Optimal 3D Point Clouds from Mobile Laser Scanning

The image depicts how our robot Irma3D sees itself in a mirror. The laser looking into itself creates distortions as well as changes in intensity that give the robot a single eye, complete with iris and pupil.

Thus, the image is called "Self Portrait with Duckling".

Prof. Dr. Andreas Nüchter

About this talk...



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Outline

- Introduction
- 3D Mapping with Mobile Robots
- Mobile Laser Scanning
 - Calibration
 - Semi-rigid Scan Matching
 - **Conclusion and Outlook**

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The Ariadne Robot (2002/2003)

First, we used the 3D information for obstacle avoidance. Later of we did initial 3D mapping experiments.





The motion of the robot 3 DoF

(Video Crash) (Video NoCrash)









The Mobile Robot Irma3D (since 2010)

Automation of 3D scanning



(video) (video)

Combination of terrestrial / kinematic laser scanning







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Robotics and Telematics





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The ICP Algorithm

Put two independent scans into one frame of Scan registration reference

Iterative Closest Point algorithm [Besl/McKay 1992]

For prior point set M ("model set") and data set D

- Select point correspondences 1.
- 2. Minimize for rotation **R**, translation t

$$E(\mathbf{R}, \mathbf{t}) = \frac{1}{N} \sum_{i=1}^{N} ||\mathbf{m}_i - (\mathbf{R}\mathbf{d}_i + \mathbf{t})||^2$$

3 Iterate 1. and 2.

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Four closed form solution for the minimization

works in 3 translation plus 3 rotation dimensions



3D Mapping Examples

CMU 3D mapping of abandoned mines



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RoboCup Rescue





3D reconstruction in the context of medical imaging









The globalgo RtAlgorithm

Scan registration Put two independent scans into one frame of reference

Iterative Closest Point algorithm [Besl/McKay 1992]

For prior point set *M* ("model set") and data set *D*

- 1. Select point correspondences
- 2. Minimize for rotation R, translation t

$$E(\mathbf{R}, \mathbf{t}) = \frac{1}{N} \sum_{i=1}^{N} ||\mathbf{m}_i - (\mathbf{R}\mathbf{d}_i + \mathbf{t})||^2$$

3. Iterate 1. and 2.

Four closed form solution for the minimization

Global consistent registration

$$E = \sum_{j \to k} \sum_{i} |\mathbf{R}_{j}\mathbf{m}_{i} + \mathbf{t}_{j} - (\mathbf{R}_{k}\mathbf{d}_{i} + \mathbf{t}_{k})|^{2}$$



Example of high-precise registrations

Riegl Laser Measurement GmbH

(Video courtesy of Riegl)

(Video 1) (Video 2) (Video 3)







Closed Loop Detection and Global Relaxation







6D SLAM – Full Example

• Leibniz University Hannover (RTS)











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Mobile Laser Scanning Systems

Experimental



Professional







State of the Art

- For all sensors determine the position and orientation on the vehicle (calibration)
- Data Acquisition
- Extract the trajectory of the vehicle from the sensor data (Kalman-Filter)
- "Unwind" the laser measurements with the trajectory to create a 3D point cloud.

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Automatic System Calibration

• Construct a calibration vector

$$\mathbf{C} = (a, w, \mathbf{W}_0, o_0, \dots, \mathbf{W}_n, o_n)$$

- Treat the "unwinding" as a function $f(M, \mathbf{C})$
- The point cloud represents samples from a probability density function

$$d(\mathbf{l}) = \frac{1}{n} \sum_{j}^{n} G(\mathbf{l} - \mathbf{p}_{j}, \sigma^{2} \mathbf{I})$$

• Simplified entropy measure

$$-\sum_{i}^{n}\sum_{j}^{n}G(\mathbf{p}_{i}-\mathbf{p}_{j},2\sigma^{2}\mathbf{I})$$





Efficient Calibration

- Evaluating the entropy is in O(n²)
- Reduction of the point cloud
 - n becomes smaller
 - Smaller contribution to the error function in the search space
- Reduction of point pairs
 - Consider only pairs with **minimal time difference**
 - Consider only closest points
- Minimization of the error function

$$\hat{\mathbf{C}} = \operatorname{argmax}_{\mathbf{C}} E(f(M, \mathbf{C}))$$
where $E(f(M, \mathbf{C})) = -\sum_{i}^{n} G(\mathbf{p}_{i} - \mathbf{q}_{i}, 2\sigma^{2}\mathbf{I})$

is in O(n log n) (~20 minutes with Powel's algorithm)



- Reference model: 3D plane model from terrestrial scanning
- Compare point cloud with model

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- Ostia Antica in Rom
- Environment less structured
- No ground truth model available



























Further Sources of Errors

no GPS "lousy" IMU





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Robotics and Telematics



bad GPS

no IMU



Semi-Rigid Registration

- Goal:
 - Optimize trajectory
 - No or only small time discretization (< 10 ms)
 - Ideal discretization at every point measurement
- Ansatz:
 - Extension of the global ICP algorithm / Graph-SLAM
- Modeling

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- Trajectory $T = \{\mathbf{V}_0, \dots, \mathbf{V}_n\}$
- Every \mathbf{V}_i is a vehicle pose at time t_i
- IMU / odometry estimate $\mathbf{V}_i
 ightarrow \mathbf{V}_{i+1}$
- GPS estimate $\mathbf{V}_0
 ightarrow \mathbf{V}_i$

— Laser scanner / scan matching $\mathbf{V}_i
ightarrow \mathbf{V}_j$



Calculation of $\, \mathbf{V}_i ightarrow \mathbf{V}_j \,$

- "Unwind" the laser measurements with the trajectory to create an initial 3D point cloud.
- Compute correspondences using a modified nearestneighbor search
- Consider the following scenarios:





Optimization of the Trajectory

Global error function

$$W = \sum_{i} \sum_{j} (\bar{\mathbf{V}}_{i,j} - (\mathbf{V}'_i - \mathbf{V}'_j)) \mathbf{C}_{i,j}^{-1} (\bar{\mathbf{V}}_{i,j} - (\mathbf{V}'_i - \mathbf{V}'_j))$$

- Minimization by $(\mathbf{H}^T \mathbf{C}^{-1} \mathbf{H}) \mathbf{V} = \mathbf{H}^T \mathbf{C}^{-1} \bar{\mathbf{V}}$
- Solving by Sparse Choleskey Decomposition by T. Davis
- Also possible: global ICP

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Overview: Algorithm Semi-Rigid SLAM

- 1. Calculate the pose estimates $\mathbf{V}_i o \mathbf{V}_{i+1}$ and $\mathbf{V}_0 o \mathbf{V}_i$
- 2. Extract a 3D point cloud from a current trajectory estimate and the system calibration
- 3. Calculate an oc-tree for storing the 3D points (including the time stamp)
- 4. Compute closest points and an estimate for $\mathbf{V}_i
 ightarrow \mathbf{V}_j$
- 5. Update the trajectory

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6. Repeat step 2 – 5 until convergence





Data and analysis done by TopScan GmbH, Rheine (Dr. Joachim Lindenberger)

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• Acquired by Riegl GmbH in Salzburg

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Summary and Outlook

- Efficient algorithms and data structures for processing 3D point clouds
- Golbal consistent scan matching

➡ Bundle Adjustment for 3D Point Clouds

"Dense" method

Application: 3D Point Clouds at the Production Line

References

Publications available at

www.nuechti.de

• Videos are online on our youtube channel

www.youtube.com/channel/UC7HAqZXI-jvMmBwoi4vDUew

www.youtube.com/user/AutomationAtJacobs

www.youtube.com/user/AndreasNuechter

Large parts of our software is Open Source
 3DTK – The 3D Toolkit

http://slam6d.sourceforge.net

